

ETA Common Formulas

Conversion Factors:

 $\pi (Pi) = 3.14 \qquad 2\pi = 6.28 \\ \pi^2 = 9.87 \qquad \log \pi = 0.497 \\ 1 \text{ meter} = 3.28 \text{ feet} \\ 1 \text{ inch} = 2.54 \text{ centimeters} \\ 1 \text{ radian} = 57.3^\circ$

<u>Resonant frequency formulas</u> Where f is in kHz, L is in microhenries, C is in microfarads

$$f_{kHz} = 159.2 \div \sqrt{LC}$$
$$f_{resonant} = \frac{1}{2\pi \sqrt{LC}}$$

<u>Frequency & Wavelength formulas</u> $f = frequency, \lambda = wavelength$ $0.5\lambda = 180^\circ = half wave$ $0.25\lambda = 90^\circ = quarter wave$

 $f_{kHz} = (3x10^8) \div \lambda meters$ or $f_{MHz} = 984 \div \lambda feet$

 λ meters = (3x10⁸) ÷ f_{kHz} or λ feet = 984 ÷ f_{MHz}

 $\frac{\text{Sine wave conversion}}{\text{Effective value (RMS)} = 0.707 \text{ x Peak Value} = 1.11 \text{ x Average Value}}$ $\frac{\text{Peak Value} = 1.414 \text{ x Effective Value (RMS)} = 1.57 \text{ x Average Value}}{\text{Average Value} = 0.637 \text{ x Peak Value} = 0.9 \text{ x Effective Value (RMS)}}$ $\frac{\text{Identify: Waveform, Peak (amplitude), RMS, 1 cycle over time period}}{\text{(frequency), Peak to peak, and practical average.}}$



Voltage gain in decibels

Gain dB = 20 log (Vout / Vin)

Ratio of 2 power levels in decibels

 $Gain dB = 10 log (P_1 \div P_2)$

Resistors in series

 $R = R_{1} + R_{2} + R_{3}$...

Resistors in parallel

$$1 / R = (1 / R) + (1 / R) + (1 / R)...$$

Inductors connected in series

 $\mathbf{L} = \mathbf{L}_1 + \mathbf{L}_2 + \mathbf{L}_3 + \dots$

Inductors connected in parallel

 $1 \div L = (1 \div L_1) + (1 \div L_2)...$

<u>Reactance of inductors</u> where X_L is reactance, f is frequency, and L is inductance

 $X_L = 2 \times \pi \times f \times L$



P = I * E, the power being dissipated by the resistor is a product of the current and the applied voltage.

Time constants

T (Greek Tau), R (ohms), C (microfarads), L (microhenries)

RL circuit: 1 T (sec) = L (μ H) ÷ R (Ω)

RC circuit: 1 T (sec) = R (Ω) × C (μ f)

 $\frac{How \ to \ Compute \ Charge \ or \ Quantity \ of \ Electricity}{Where \ Q} \ is \ the \ charge \ (in \ coulombs), \ C \ is \ the \ capacitance \ (in \ farads), \ and \ V \ is \ the \ potential \ difference \ (in \ volts).$

 $\mathbf{Q} = \mathbf{C} \times \mathbf{V}$

Energy Storage in a Capacitor

where W is the energy (in Joules), C is the capacitance (in farads), and V is the potential difference (in volts).

 $\mathbf{W} = \frac{1}{2} \mathbf{C} \times \mathbf{V}^2$

Capacitors connected in parallel

$$C = C_1 + C_2 + C_3 + \dots$$

Capacitors connected in series

$$1 \div C = (1 \div C_1) + (1 \div C_2) + (1 \div C_3)...$$

Reactance of capacitors

$$\mathbf{X}_{\mathbf{C}} = \mathbf{1} \div (\mathbf{2} \times \boldsymbol{\pi} \times f \times \mathbf{C})$$

<u>Impedance Formulas</u> for a Series Circuit $\mathbf{Z} = \sqrt{\mathbf{R}^2 + (\mathbf{X}_L - \mathbf{X}_C)^2}$ where Z is impedance

Impedance Formulas for R and X in Parallel

$$Z = \sqrt{\frac{R^2}{R^2 + X^2}}$$

Battery internal resistance

 $V_{out} = EMF - V_{terminal}$

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